# A 3-D Finite-Volume Nonhydrostatic Icosahedral Model (NIM) Jin Lee



## Earth System Research Laboratory(ESRL)

Director, Dr. A.E. (Sandy) MacDonald



**Modeling goal**: to develop a non-hydrostatic icosahedral global model for *weather* and *climate* predictions

GFDL,NSSL,ARL,AOML,GLERL,PMEL

Aeronomy Lab. Climate Diagnostic center Climate Monitoring and Diagnostic Lab Environmental Technology Lab Forecast Systems Lab

# ESRL Finite-Volume Icos-Models (FIM/NIM)



• Finite-volume Integrations on *Local Coordinate* 

Lee and MacDonald (*MWR, 2009*): A Finite-Volume Icosahedral Shallow Water Model on Local Coordinate.





2-D f.-v. operator carried out on straight lines, rather than along the 3-D curved lines on the sphere

- Finite-volume Integrations on *Local Coordinate*
- Conservative and Monotonic Adams-Bashforth 3<sup>rd</sup>-order FCT Scheme
  - Lee, Bleck, and MacDonald (2010, JCP): A Multistep Flux-Corrected Transport Scheme.

- Finite-volume Integrations on *Local Coordinate*
- Conservative and Monotonic Adams-Bashforth 3rd-order FCT Scheme
- FIM: Hybrid σ-θ Coordinate w/ GFS Physics
- Bleck, Benjamin, Lee and MacDonald (2010, MWR): On the Use of an Arbitrary Lagrangian-Eulerian Vertical Coordinate in Global Atmospheric Modeling.

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- FIM: Hybrid σ-θ Coordinate w/ GFS Physics
- Efficient Indirect Addressing Scheme on Irregular Grid
- MacDonald, Middlecoff, Henderson, and Lee (2010, IJHPC) : A General Method for Modeling on Irregular Grids.

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  - Wang and Lee (2011, SIAM): Geometric Properties of Icosahedral-Hexagonal Grid on Sphere.



MGCL

|      | Uniformity | Regularity |  |
|------|------------|------------|--|
| SBiR | 1.195      | 1.476      |  |
| MBiR | 1.175      | 1.405      |  |
| SGCL | 1.476      | 1.194      |  |
| MGCL | 1.446      | 1.135      |  |



#### Williamson etal.(1992) Case V: Zonal flow over Mountain (no dissipation)



#### SBiR (G8/dt=45 sec)



#### MGCL (G8/dt=36 sec, blow up with dt=45)



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- Novel Features of NIM:

-Three-dimensional finite-volume integration.





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  - Conservative flux formulation on height coordinate.

#### Flux form GEs on 3-D control volume on height coord.

$$\begin{cases} \frac{\partial U}{\partial t} + \frac{\partial (Uu)}{\partial x} + \frac{\partial (Vu)}{\partial y} + \frac{\partial (Wu)}{\partial z} + \gamma R \pi \frac{\partial \Theta'}{\partial x} = F_{u} \\ \frac{\partial V}{\partial t} + \frac{\partial (Uv)}{\partial x} + \frac{\partial (Vv)}{\partial y} + \frac{\partial (Wv)}{\partial z} + \gamma R \pi \frac{\partial \Theta'}{\partial y} = F_{v} \\ \frac{\partial W}{\partial t} + \frac{\partial (Uw)}{\partial x} + \frac{\partial (Vw)}{\partial y} + \frac{\partial (Ww)}{\partial z} + \left(\gamma R \pi \frac{\partial \Theta'}{\partial z} - \overline{\rho}g \frac{\pi'}{\pi} + \rho'g\right) = 0 \\ \frac{\partial \rho}{\partial t} + \frac{\partial (U)}{\partial x} + \frac{\partial (V)}{\partial y} + \frac{\partial (W)}{\partial z} = 0. \\ \frac{\partial \Theta}{\partial t} + \frac{\partial (U\theta)}{\partial x} + \frac{\partial (V\theta)}{\partial y} + \frac{\partial (W\theta)}{\partial z} = S_{q} \\ \frac{\partial (\rho q)}{\partial t} + \frac{\partial (Uq)}{\partial x} + \frac{\partial (Vq)}{\partial y} + \frac{\partial (Wq)}{\partial z} = S_{q} \\ (U, V, W, \Theta, \rho) = (\rho u, \rho v, \rho w, \rho \theta, \rho); \quad \Theta(x, y, z, t) = \overline{\Theta}(z) + \Theta'(x, y, z, t) \\ \rho(x, y, z, t) = \overline{\rho}(z) + \rho'(x, y, z, t); \quad \nabla p = \gamma R \pi \nabla \Theta \\ p = p_{0} \left(\frac{R\Theta}{p_{0}}\right)^{\gamma}; \quad \pi = \left(\frac{p}{p_{0}}\right)^{\kappa} \end{cases}$$

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- Conservative flux formulation on z-coordiante.
- 3-D volume Integration to calculate PGF.



## Various PGF treatments over topography



FIG. 1. The representation of a smoothly varying bottom (dashed line) in (a) a height coordinate model using step topography, (b) a terrain-following coordinate model, and (c) a height coordinate model with piecewise constant slopes. \*A. Adcroft, etal., Mon. Wea. Rev. 125, 2293–2315.



 $- \sim \frac{\partial P}{\partial x'} - Z_{x'} Z_{z'}$ 

 $\partial x$ 

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  - Fast GPUs to speed up calculation.



# NIM benchmarks test cases

heat forced circulation (Cartesian) warm bubble (Cartesian) density current (Cartesian), linear mountain waves (Cartesian), Internal gravity waves (DCMIP:Icos-grid) mountain waves (**DCMIP**:Icos-grid) tropical cyclone (DCMIP:Icos-grid) baroclinic waves (DCMIP: in progress) multi-months aqua-planet simulations (Icos-grid)

# Vertical Zonal Wind Shear in DCMIP mountain wave cases

#### Case 2.1

#### Case 2.2



#### DCMIP: 2.1 (small earth, X=500, dz=500m ) Endgame MCORE



**MPAS/G5** 







# DCMIP: 2.2 (small earth) Endgame

#### c) t = 7200 s\_m s-1 60 1.5 1.3 1.1 50 0.9 0.7 40 0.5 0.3 30 0.1 -0.1 20 -0.3 -0.5 10 -0.7 -0.9 5 -1.10 -1.360E 120E 120W 60W 180 -1.5



#### **MPAS/G5**



# NIM/G5

1.5

1.3 1.1 0.9 0.7

0.5

0.3 0.1 -0.1

-0.3 -0.5

-0.7 -0.9 -1.1 -1.3 -1.5

DCMIP: case 2 (small earth) NIM: resolution Sensitivities

0.3 0.1 -0.1 -0.3 -0.5

-0.7 -0.9

#### No shear case, dz = 500 m



No shear case, dz = 250 m



Shear case, dz = 500 m



#### Shear case, dz = 250 m



# Physics packages & aqua-plan et simulations

# **Aqua-Planet Simulation**



#### NIM 800-day aqua-planet simulation NIM/GFS MODEL NIM/GRIMs SST Zonally uniform, max. temp. on equator **Resolution** G5 ( $\Delta x \sim 240 \text{ km}$ ) Vertical 32 Stretch layers **Model top** 25 km Δt 20 min

# NIM aqua-planet simulation

Hoskins et al. (1999), Tellus NIM mean zonal wind



# T Tendency from physics (K/6hr)



NIM real data simulation initialized with GFS initial condition (comparisons of precipiation fcsts)

- Interpolate GFS initial data to Icosahedral grid.
- Perform hydrostatic initialization.
- Perform 10-day fcsts on G6 grid (~120km) and 56 layers.
- Use GFS terrain & sfc parameters, physics package .
- Precipitation comparison



#### FIM G06

#### **NIM G06**

DAY1







# DAY 2





**NIM G06** 





# DAY 5

FIM G06



**NIM G06** 



## NIM/GPU implementation (fine grain parallization)

Mark Govett, Tom Henderson, Jacques Middlecoff, Jim Rosinski

- NIM was implemented on CPU and GPU Architectures
- Code converted to CUDA using the F2C-ACC compiler we developed
- NIM used by vendors (PGI,CAPS) to benchmark commercial GPU compilers



# 2013: CPUs vs. GPUs

| 6-core<br>Westmere<br>CPU | 8-core<br>Opteron<br>CPU | 8-core<br>Sandybridge<br>CPU | C2050<br>Fermi GPU | K20X Kepler<br>GPU |
|---------------------------|--------------------------|------------------------------|--------------------|--------------------|
| 86.8                      | 143.0                    | 60.3                         | 25.1               | 20.7               |

- Short time period runs
  - I/O not included
- Only limited performance tuning on Opteron and Kepler thus far (gaea)
- "One socket" of each technology

# **Final remarks and Outlook**

- A 3-D f.-v. Nonhydrostatic Icosahedral Model (NIM) has been developed and tested w/ benchmarks,
- 3-D f.-v. integration calculates PGF over topography with 3-D control volume integration,
- Incorporated GFS, GRIMs, MPAS physics into NIM modeling systems,
- NIM for medium-range weather forecasts at < 10-km resolution with large numbers of vertical layers to improve HIWP.

A potential postdoctoral position in dynamical core research area Jin.Lee@noaa.gov