Assessing uncertainties in a second-generation dynamic vegetation model caused by ecological scale limitations

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Summary

• Second-generation Dynamic Global Vegetation Models (DGVMs) have recently been developed that explicitly represent the ecological dynamics of disturbance, vertical competition for light, and succession. Here, we introduce a modified second-generation DGVM and examine how the representation of demographic processes operating at two-dimensional spatial scales not represented by these models can influence predicted community structure, and responses of ecosystems to climate change.

• The key demographic processes we investigated were seed advection, seed mixing, sapling survival, competitive exclusion and plant mortality. We varied these parameters in the context of a simulated Amazon rainforest ecosystem containing seven plant functional types (PFTs) that varied along a trade-off surface between growth and the risk of starvation induced mortality.

• Varying the five unconstrained parameters generated community structures ranging from monocultures to equal co-dominance of the seven PFTs. When exposed to a climate change scenario, the competing impacts of CO2 fertilization and increasing plant mortality caused ecosystem biomass to diverge substantially between simulations, with mid-21st century biomass predictions ranging from 1.5 to 27.0 kg C m\(^{-2}\).

• Filtering the results using contemporary observation ranges of biomass, leaf area index (LAI), gross primary productivity (GPP) and net primary productivity (NPP) did not substantially constrain the potential outcomes. We conclude that demographic processes represent a large source of uncertainty in DGVM predictions.

Introduction

The terrestrial biosphere plays a critical role in regulating the Earth’s carbon cycle (Bonan, 2008). There is concern that terrestrial ecosystems may be unable to maintain the current uptake of c. 33% of anthropogenic emissions (Rodenbeck et al., 2003; Zeng et al., 2005) because of the anticipated negative impact of heating and drying on photosynthesis and survival (Cox et al., 2000; Friedlingstein et al., 2006). For this reason, Dynamic Global Vegetation Models (DGVMs), are now recognized as a critical component of climate change prediction. DGVM models simulate a suite of ecosystem properties from half-hourly carbon and water exchange, through daily growth and tissue turnover, to longer-term processes of reproduction, competition, and mortality. These models have become relatively advanced in their capability to simulate short-term surface gas and energy exchanges and atmospheric CO2 (Sellers et al., 1986; Hickler et al., 2008; Purves & Pacala, 2008; Mercado et al., 2009; Randerson et al., 2009); by contrast, DGVMs contain relatively simple and poorly tested representations of the processes driving...
long-term changes in vegetation composition – for example, recruitment, competition and tree mortality (Moorcroft, 2006). The large structural and parametric uncertainty concerning these processes means that existing DGVMs produce a wide variety of predictions regarding the future strength and direction of the climate carbon cycle feedback (Friedlingstein et al., 2006; Thornton et al., 2007; Sitch et al., 2008). For example, some models predict catastrophic declines in the Amazon and Boreal forests, while others predict relatively stable ecosystem composition and carbon storage, even with the same future climate drivers (as illustrated by Sitch et al., 2008). Model biases introduced by these uncertainties are not readily estimated because limited observations exist to constrain demographic processes under rapidly altering climates (Purves & Pacala, 2008; Allen et al., 2010).

In an attempt to increase ecological realism in DGVMs, more sophisticated models have recently been developed that explicitly represent the demographic processes of disturbance, recruitment, competition between plant types for light, and tree mortality (Friend & White, 2000; Moorcroft et al., 2001; Sato et al., 2007; Hickler et al., 2008; Scheiter & Higgins, 2008). This ‘second generation’ approach has numerous perceived benefits, including the ability to model regrowth after disturbance, parameterize ecological dynamics directly using tree and plot scale data, and to facilitate the representation of coexistence of different vegetation types by introducing different environmental niches, either along a successional gradient of light availability or vertical strata in the canopy (Moorcroft et al., 2001; Smith et al., 2001; Purves & Pacala, 2008). The impact of this third property – the ability to simulate competition and coexistence of multiple plant types – is unclear. Successful coexistence of multiple plant functional types (PFTs) might buffer responses to climate change by preventing sudden switches between mono-dominant PFTs. Conversely, relatively stable past climates might discourage the survival of those plant types which invest more resources in the tolerance of extreme climates, at the expense of PFTs with rapid growth rates, making ecosystems in general more susceptible to the effects of climate shifts.

To resolve this issue, it is necessary to understand the processes that control community structure in second-generation models. In this paper, we present developments to a second-generation DGVM that facilitate the coexistence of plant functional types. We then identify several poorly constrained processes that fundamentally influence how community structure emerges from plant demography. These include seed advection, seed mixing, sapling mortality, competitive exclusion and stress-induced tree mortality. While representations of these ecological processes are typically present in current DGVMs, they all depend upon two-dimensional spatial scales not represented by these models. For example, rates of seed mixing and advection rates are properties of landscape heterogeneity, while the stochasticity or determinism of competitive exclusion and the rate of tree mortality under stress are both properties of multiscale environmental heterogeneity (Clark et al., 2007). DGVMs are spatially one-dimensional, as they consider single points in space that do not interact with one-another. Therefore, it is not possible to explicitly represent these processes in the current modelling context, and instead their impact must be parameterized. In this paper, we identify five demographic processes whose outcome depends on the sub-grid spatial heterogeneity of a landscape, and investigate how the parameterizations affect the outcome of a one-dimensional dynamic vegetation model.

In this paper, we use the Ecosystem Demography model (ED, Moorcroft et al., 2001), a size- and age-structured DGVM that occupies a mid-point on the continuum from gap models (Sato et al., 2007; Hickler et al., 2008) that contain representations of individual trees, to area-based DGVMs, which model the fate of a single average individual for each PFT (Cox, 2001; Bonan et al., 2003; Sitch et al., 2003; Woodward & Lomas, 2004; Krinnex et al., 2005). Because of this, ED is perceived as a promising template for a second generation of land surface models, appropriate for inclusion in large-scale climate simulations (Meir et al., 2006; Moorcroft, 2006; Prentice et al., 2007; Huntingford et al., 2008; Purves & Pacala, 2008).

Description

Background

In order to provide a realistic context for our study, we situate our hypothetical ecosystem in the eastern Amazon basin, and parameterize carbon fluxes and plant allocation using recently compiled data from three intensively studied forest plots (Malhi et al., 2009a). Further details are given in Supporting Information Notes S1 and Table 2. A majority of Global Climate Models, (GCMs) predict that dry season rainfall over Amazonia will decline (Malhi et al., 2009a), and that temperatures will increase (Salazar et al., 2007). This makes the Amazon an ideal place to investigate the impact of alternative community structures on future vegetation structure and function. For a more complete review on prognoses for the Amazon rainforest see Cox et al. (2004, 2008), Huntingford et al. (2008), Malhi et al. (2008, 2009b), Meir et al. (2008) and Nepstad et al. (2008).

Ecosystem Demography model

The ED model is a size- and age-structural approximation of a gap model, the state structure of which is a nested hierarchy of geographical grid cells, landscape age-classes and cohorts of trees of different sizes and PFTs. The landscape age-classes are designed to capture horizontal
biotic heterogeneity in canopy structure that arises from various forms of disturbance. Biotic heterogeneity does not include physical aspects of sub-grid heterogeneity such as variations in altitude, soils or aspect. These are not accounted for in the model structure. At each daily time-step, canopy tree mortality creates new areas of disturbed ground. To make the model computationally more efficient, the spatial locations of the disturbed areas are not specified, and thus can be tracked as a single landscape age-class that represents the aggregation of canopy-gap sized areas within each grid cell that were disturbed at a similar time in the past. To minimize the proliferation of landscape age-classes, the vertical structure and composition of model land classes are continually compared with each other and merged if they are sufficiently similar.

New juvenile individuals of each PFT are recruited on a daily time-step, based on the reproductive output of existing individuals of the same PFT. Individuals located in the same landscape age-class, PFT and size, are tracked as ‘cohorts’. Each cohort is defined by the number of individuals per unit area ($n$), and a single representative tree, defined by its structural biomass ($b$), which is a function of tree diameter ($D$) (cm), and live biomass ($b_0$), which consists of leaf ($b_l$), fine root ($b_f$) and sapwood ($b_{sw}$) (all in kg C per individual yr$^{-1}$). As with the landscape age-classes, cohorts are continually compared and subsequently fused if they are in the same PFT, landscape age-class and are close in size. Through this procedure, the ED model explicitly tracks horizontal and vertical heterogeneity in canopy structure.

In the next section, we discuss model representations of recruitment, competition and mortality. Because these processes operate in two-dimensional spatial space and therefore have no analogue in a one-dimensional model, parameterization from field observations is difficult. We introduced modifications to these processes, but unless otherwise stated, the model is the same as EDv1.0, as described by Moorcroft et al. (2001). Alterations made to the energy and gas exchange algorithms are described in Notes S1.

Modelling sapling recruitment

Sapling recruitment is the sum of plant reproduction from local (internal) and nonlocal (external) sources. The smallest units considered by the model are 2.5 m high saplings, we do not model the germination of seeds and early seedling development, but seed dispersal processes are nevertheless responsible for the location of the resultant saplings. External recruitment represents the advection of seeds from other geographical areas. Seed advection ($A_s$) from multiple directions, results in a point-specific sapling establishment rate measured in individuals m$^{-2}$ per PFT$^{-1}$ yr$^{-1}$. As the distribution of different environmental conditions within a grid cell is not represented in the model, we use the null assumption that PFT advection is constant through time and that the number of saplings recruited per PFT is equal. For internal recruitment, a fixed fraction, $f_{frec}$, of the carbon available for growth ($C_g$, Eqn 7) is partitioned into reproduction. The number of saplings per PFT is calculated from this carbon supply divided by the biomass required to make each 2.5 m sapling. The internally generated saplings are distributed between landscape age-classes. This requires an estimate of $X_m$: the probability that a propagule generated in one landscape age class establishes in a different landscape class from that of its parents. In other words, $X_m$ represents how well mixed seeds are across a landscape with respect to the landscape age-class gradient. Low levels of ‘seed mixing’ mean that seeds are likely to land near their parent tree, and vice-versa. Subsequently, a ‘sapling mortality’ is applied ($M_s$) the value of which represents the discrepancy between the maximum number of saplings and the number that are realized in the model. The total number of new established saplings in each time-step, $N_{\text{sapling}}$, is therefore:

$$N_{\text{sapling}} = A_s + C_g(1 - M_s)/(f_{frec}b_0)t$$  \hspace{1cm} \text{Eqn 1}

where $t$, length of each daily time-step, in years (1/365); and $b_0$ is the sapling biomass.

The parameters $A_s$ and $X_m$ both depend upon the spatial structure of the landscape and the likelihood of ecosystems with different composition existing in close proximity. In a two-dimensional spatial model of interconnected patches (Kneitel & Chase, 2003; Leibold et al., 2004; Lischke et al., 2006) parameters representing the spatial movement of propagules would not be necessary, as they would be modelled with diffusion type equations; however, without this capacity, we must parameterize the processes of seed dispersal within a grid cell. Here, we investigate how the parameterization of seed advection and seed mixing affect community structure in a sensitivity analysis.

Modelling canopy structure and coexistence

In the original EDv1.0 model (Moorcroft et al., 2001) there were no explicit spatial dimensions associated with each cohort, so the hypothetical leaf area of each tree extended across the entire surface of the landscape age class, effectively creating a steep vertical light profile that caused unrealistic levels of shade-induced competitive exclusion and reduced the capacity to simulate coexistence of plants within a successional age class. Resolving these issues requires representation of the physical dimension of tree crowns. We adopted and modified the Perfect Plasticity Approximation (PPA) of Purves et al. (2008b). Based on the observation that tree crowns often occupy gaps in the canopy that are spatially dislocated from the base of the tree,
PPA assumes that the horizontal plasticity of crown location and shape is infinite but that trees have realistic relationships between crown area and height. The end result is that when the total canopy area is greater than the total ground area, the canopy is considered to be ‘closed’ and breaks into distinct layers, each consisting of those cohorts with heights within a particular range, such that each cohort occurs in only one layer; in a situation with two layers, that is, canopy and understory, the cohorts are assigned to the canopy or understory according to their height relative to a mean canopy intersection height 'z*'. Trees within the same layer do not shade each other at all and trees in a given layer are uniformly shaded according to the total leaf area index (LAI) above the top height of that layer. This scheme means that a small increase in height of a cohort no longer confers a large competitive advantage, except where cohorts cross z*.

The original version of the PPA model assumes that z* is spatially uniform within a stand; however, canopy intersection heights vary spatially such that a tree of height 'h' might sometimes be in the canopy and sometimes be in the understory, depending on its circumstances. The assumption that z* is spatially uniform, exacerbated by the fact that ED typically aggregates the canopy into far fewer cohorts than the original PPA method of Purves et al., 2008b, generates a highly deterministic model of competition, whereby a single cohort with a small height advantage might come to quickly and unrealistically dominate the entire canopy. It is therefore difficult to represent coexistence between similar PFTs without including some potential for z* to be heterogeneous. Clark et al. (2003, 2007) propose that deterministic models of coexistence often fail because they do not properly account for unobserved life-history trade-offs, neglected genetic variation or spatial heterogeneity in topology, soil type, aspect and dispersal and recruitment processes, they term these factors ‘random individual effects’. In the context of the PPA model, this is analogous to the possibility that z* is spatially heterogeneous.

We introduced the potential influence of ‘random individual effects’ on community composition by aggregating all the processes that suppress the ability of the fastest growing PFTs to monopolize resources into a single ‘competitive exclusion’ parameter C. This parameter controls the probability that a tree of a given height will obtain a space in the canopy of a closed forest. The forest canopy is considered as closed when the total canopy area (A_canopy m²), which is the sum of all the crown areas (A_crown, m²)

\[ A_{\text{canopy}} = \sum A_{\text{crown}}, \quad \text{Eqn 2} \]

exceeds the ground area of the age class in question (A_p).

Under these circumstances, the ‘extra’ crown area A_los is moved into the understory. For each cohort already in the canopy, we determine a fraction of trees that are lost from the canopy (L_c) and moved to the understory. L_c is calculated as

\[ L_c = A_{\text{los}} w_c / \sum w_c, \quad \text{Eqn 3} \]

where \( w_c \) is a weighting of each cohort determined by basal diameter \( D \) (cm) and the competitive exclusion coefficient \( C_e \)

\[ w_c = D^{-2}. \quad \text{Eqn 4} \]

The higher the value of \( C_e \), the greater the impact of tree diameter on the probability of a given tree obtaining a position in the canopy layer. That is, for high \( C_e \) values, competition is highly deterministic. Small average differences between cohorts are still significant because there is little randomness at the scale of individual trees. Therefore, faster-growing trees monopolize light resources more effectively, leading to competitive exclusion of slower-growing trees. By contrast, low values of \( C_e \) imply that the outcome of competition is stochastic: small differences between cohorts do not matter greatly because randomness at the scale of individual trees is such that all cohorts suffer approximately equally from competition for canopy space. The smaller the value of \( C_e \), the greater the influence of random factors on the competitive exclusion process, and the higher the probability that slower-growing trees will get into the canopy. Appropriate values of \( C_e \) are poorly constrained (Clark et al., 2003, 2007), thus we investigated the effects of a wide range of \( C_e \) values on community structure and biomass predictions.

Modelling plant mortality

Modelling community composition requires accurate simulation of the processes controlling mortality of different plant types. Mechanistic prediction of plant mortality is currently a developing field (McDowell et al., 2008) and the dominant mechanism of death remains unclear. Two potential physiological mechanisms underlying plant susceptibility to climate extremes and attack by biotic mortality agents include hydraulic failure caused by excessive xylem embolism and carbon starvation because of stomatal closure and subsequent depletion of available carbohydrate reserves used for maintenance and defense. Although not yet understood sufficiently well to model, metabolic limitations induced by restrictions on phloem transport and tissue dehydration may exacerbate carbon starvation (Körner, 2003; McDowell & Sevanto, 2010; Sala et al., 2010). Isohydric plants, which close their stomata during drought
conditions, may be more likely to suffer carbon starvation than hydraulic failure (McDowell et al., 2008, Adams et al., 2009). Fisher et al. (2006) observed that leaf physiology was consistent with isohydric habit in Amazonian rainforest trees and Metcalfe et al. (2010) provide evidence suggesting that the carbon budget and timing of death of artificially droughted rainforest trees is consistent with death from carbon starvation. Therefore, in this paper, we concentrate on carbon starvation as the likely mode of mortality. To simulate carbon starvation, we define a new ‘stored carbon’ pool, $b_{\text{store}}$ (kg C per individual), and model allocation to this pool using the widespread observation that relative partitioning of photosynthate to storage increases during periods when photosynthesis is low (Gibon et al., 2009; McDowell & Sevanto, 2010; Smith & Stitt, 2007). Allocation to the store is thus altered according to the size of the existing pool and a ‘target’ quantity $S^*$, multiplied by leaf biomass, $b_l$. $S^*$ is an indicator of the generic strategy plants undertake to avoid carbon starvation. The more carbon that is kept back for storage, the more likely it is that a plant can survive periods of negative carbon assimilation (McDowell et al., 2008). The carbon balance ($C_b$) available for storage, growth and reproduction is determined as

$$C_b = \text{NPP} - m_d$$  \hspace{1cm} \text{Eqn 5}

the balance of net primary productivity (NPP) and tissue turnover requirements ($m_d$, see Notes S1), both in kg C per individual yr$^{-1}$. The balance of stored carbon to target stored carbon $f_s$:

$$f_s = b_{\text{store}}/(S^* b_l)$$  \hspace{1cm} \text{Eqn 6}

is used to predict the flux of carbon to the storage pool as a fraction of the carbon balance ($f_{\text{store}}$)

$$f_{\text{store}} = e^{-\Delta t}$$  \hspace{1cm} \text{Eqn 7}

The form of the function depicts a situation whereby carbon allocation approaches 1.0 when the store is low, and approaches zero when the store is higher than the target quantity. Flux to and from the store is calculated as:

$$\Delta b_{\text{store}} = C_b f_{\text{store}}$$  \hspace{1cm} \text{Eqn 8}

Thus if $C_b$ is negative (if NPP is less than maintenance demands, such as in winter or drought periods) carbon is removed from the store. Mortality increases as $b_{\text{store}}$ declines below a threshold (see Eqn 10), so negative $b_{\text{store}}$ is avoided by gradual cohort death. Otherwise, the carbon remaining for growth and reproduction ($C^*_g$, kg C per individual yr$^{-1}$) is what remains once allocation to the store has been removed.

$$C_g = C_b (1.0 - f_{\text{store}})$$  \hspace{1cm} \text{Eqn 9}

Because each cohort in ED represents the hypothetical means of a set of trees with broadly similar but nonetheless variable genetic composition and environmental conditions, the prediction of mortality based on a single threshold carbon storage value is inappropriate. In this case, we model mortality rate $M$ (fraction of trees dying yr$^{-1}$) as a function of the ratio of $b_{\text{store}}$ to leaf biomass where $b_{\text{store}} < b_l$

$$M = B_m + S_m \min(1.0, (b_l - b_{\text{store}})/b_l)$$  \hspace{1cm} \text{Eqn 10}

Background mortality, $B_m$, (1.39% yr$^{-1}$, Chao et al. (2008) occurs irrespective of the stress on the carbon store. $S_m$ is the mortality rate (fraction yr$^{-1}$) of a single cohort when mean cohort carbon storage is zero. The value of $S_m$ is also affected by spatial heterogeneity. In the hypothetical ‘average’ stand modelled by a DGVM, an ‘average’ tree may die (making its observed mortality 100%) because its carbon reserves fall to zero. In reality it is unlikely that, across a whole grid cell, all of the trees in a given PFT and size class will die simultaneously. Because we can neither parameterize effectively nor simulate the sub-grid cell heterogeneities that lead to the discrepancy between stand-level and landscape-level mortality, it is necessary to parameterize the variable $S_m$ as the impact of carbon deficit on mortality rates.

Plant functional types

Plant ecology models typically seek to explain the coexistence of species along functional ‘trade-offs’ (Pacala et al., 1996; Moorcroft et al., 2001; Kneitel & Chase, 2003; Baraloto et al., 2005; Falster 2006). These compromises in plant form and function mean that no species is the best competitor in all environments. We use variation in $S^*$ to represent an example of a growth vs mortality risk trade-off surface (Hacke et al., 2006; Poorter et al., 2010). We constrain $S^*$ using measurements of carbon storage from a rainforest in Panama (Wüth et al., 2005), in which the average amount of carbon stored in trees was approximately the same as that required to replace all of the leaf and fine root biomass. Notably, variation between species was substantial. We calculated the range of carbon stored between species using the data on percentage carbon storage in different tissues, and the mean biomass of each tissue type (Wüth et al., 2005), and found that carbon storage varied by a factor of 2.4 (or 3.7, if one species with extremely high levels of stem carbohydrate was taken into account). Reflecting this, we created an array of seven tropical, evergreen PFTs that differed in $S^*$ from 1.0 for PFT2, to 2.5 for PFT7 (Table 1). The additional properties of these PFTs are described in Table 2. Each PFT represents a class of species that is broadleaf, evergreen and tropical, but with a specific range of carbon storage behaviour.
Table 1: Value of $S^*$, the ‘target’ carbon storage criteria between plant functional types (PFTs)

<table>
<thead>
<tr>
<th>PFT number</th>
<th>$S^*$</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>1.0</td>
</tr>
<tr>
<td>2</td>
<td>1.25</td>
</tr>
<tr>
<td>3</td>
<td>1.5</td>
</tr>
<tr>
<td>4</td>
<td>1.75</td>
</tr>
<tr>
<td>5</td>
<td>2.0</td>
</tr>
<tr>
<td>6</td>
<td>2.25</td>
</tr>
<tr>
<td>7</td>
<td>2.5</td>
</tr>
</tbody>
</table>

$S^*$ is the quantity of carbon targeted by the allocation scheme, in multiples of the total leaf biomass ($b$). The range of values chosen is based on observations by Würth et al. (2005).

Methods

To develop a DGVM capable of predicting vegetation conditions under altered climate and CO2, we coupled the adapted ED model to the Met Office Surface Exchange Scheme (MOSES II, Essery et al., 2003), that has recently evolved into joint UK land environment simulator (JULES) (Mercado et al., 2007). JULES calculates the land surface gas exchange and provides fluxes of carbon to ED, which generates land surface and canopy structure to drive the land-air interactions in return. We term the coupled model JULES-ED.

We drove JULES-ED using output from the IMOGEN analogue climate model (Huntingford & Cox, 2000). IMOGEN utilizes pattern output from the Hadley Centre HADCM3-LC Global Circulation Model (Cox et al., 2000) to provide climatic anomalies between a baseline climate and a given climate change scenario. In this instance, we use the Climate Research Unit (CRU, University of East Anglia, Norwich, UK.) 1900–1999 climatology as a baseline dataset onto which we superimpose these anomalies. In order to use both the historical climatology for spin-up, and the pattern output from the GCM to generate forward predictions, the simulations are not site specific. Instead, we utilize data from Malhi et al. (2009b) who synthesized observations of the carbon economy of three Amazonian sites (Manaus, Caxiuana and Tapajós) to parameterize the ecophysiology of rainforest ecosystems (see Notes S1). We use driving climatologies for a 3.25 × 2.5 grid cell, the south west corner of which is located at 56.25°W and −2.5°S, encompassing all three sites used by Malhi et al. (2009b).

Model sensitivity tests

To investigate how uncertainties in the parameterization of demographic processes affect the development of community structure, we conducted a global sensitivity test to five parameters; seed advection ($A_s$), seed mixing ($X_m$), sapling mortality ($M_s$), competitive exclusion ($C_e$) and stress-induced adult mortality rate ($S_m$). For each parameter, we set high and low parameter boundaries and conducted a 200-member Latin Hypercube exploration (Iman & Conover, 1982) of the five-dimensional parameter space to identify how different combinations of these processes affect community structure. The parameter ranges for $X_m$, $C_e$ and $S_m$ were between zero and one because these were the logical endpoints of these processes. For $A_s$, the minimum input was 0 and the maximum upper limit was 50 individual ha$^{-1}$ yr$^{-1}$. For $M_s$ the maximum rate was 1.0, while we set the minimum as 95%. The model results described later illustrate that the output appears to be insensitive beyond these ranges for $A_s$ and $M_s$.

For each ensemble member, we ran the model for 400 yr, starting from bare ground in 1700. For the baseline climatology we use 100 yr of CRU data randomized over these 400 yr (except for the 20th century, where we use actual year numbers). To this we added climate anomalies generated by the IMOGEN model driven CO2 concentrations from the HADCM3-LC coupled climate carbon

Table 2: Model parameters obtained from literature sources

<table>
<thead>
<tr>
<th>Parameter</th>
<th>Explanation</th>
<th>Units</th>
<th>Value</th>
<th>Source</th>
</tr>
</thead>
<tbody>
<tr>
<td>$M_b$</td>
<td>Background mortality</td>
<td>%</td>
<td>1.39</td>
<td>Chao et al. (2008)</td>
</tr>
<tr>
<td>$D$</td>
<td>Wood density</td>
<td>g C cm$^{-3}$</td>
<td>0.7</td>
<td>Chao et al. (2008)</td>
</tr>
<tr>
<td>$a_{leaf}$</td>
<td>Leaf turnover</td>
<td>yr$^{-1}$</td>
<td>0.69</td>
<td>Wright et al. (2004)</td>
</tr>
<tr>
<td>$a_{root}$</td>
<td>Fine root allocation</td>
<td>yr$^{-1}$</td>
<td>0.69</td>
<td>Malhi et al. (2009b)</td>
</tr>
<tr>
<td>$a_{wood}$</td>
<td>Coarse wood turnover (branches &amp; coarse roots)</td>
<td>yr$^{-1}$</td>
<td>0.01</td>
<td>Malhi et al. (2009b)</td>
</tr>
<tr>
<td>$SLA_C$</td>
<td>Specific leaf area (canopy)</td>
<td>cm$^2$ g$^{-1}$</td>
<td>87</td>
<td>Carswell et al. (2002)</td>
</tr>
<tr>
<td>$SLA_u$</td>
<td>Specific leaf area (understory)</td>
<td>cm$^2$ g$^{-1}$</td>
<td>145</td>
<td>Carswell et al. (2002)</td>
</tr>
<tr>
<td>$r_r$</td>
<td>Root respiration as a fraction of leaf respiration</td>
<td>Fraction</td>
<td>0.50</td>
<td>Malhi et al. (2009b)</td>
</tr>
<tr>
<td>$r_s$</td>
<td>Stem respiration as a fraction of leaf respiration</td>
<td>Fraction</td>
<td>0.63</td>
<td>Malhi et al. (2009b)</td>
</tr>
<tr>
<td>$K_N$</td>
<td>Exponent of change in nitrogen through canopy</td>
<td>–</td>
<td>0.17</td>
<td>Mercado et al. (2007)</td>
</tr>
<tr>
<td>$N_D$</td>
<td>Nitrogen concentration at canopy top</td>
<td>KgN KgC$^{-1}$</td>
<td>0.046</td>
<td>Mercado et al. (2007)</td>
</tr>
<tr>
<td>$f_{gpro}$</td>
<td>Fraction of growth carbon to respiration</td>
<td>Fraction</td>
<td>0.37</td>
<td>P Meir et al. (unpublished)</td>
</tr>
</tbody>
</table>
cycle model output (Cox et al., 2000; Friedlingstein et al., 2006; Sitch et al., 2008). This climate change scenario is among the most extreme for Amazonia (Malhi et al., 2009a), but appears consistent with recent climate variability in this region (Cox et al., 2004, 2008; Jupp et al., 2010). The annual CO$_2$, precipitation and temperature components of the model drivers are shown in Fig. 1.

**Results and Discussion**

Impact of parameter variation on ecosystem biomass responses to climate change

Altering the five demographic parameters that control unconstrained spatially mediated demographic processes had a profound influence on the predicted response of ecosystem biomass to future CO$_2$ and climate (Fig. 2a). Biomass estimates in 2005 ranged from 6.6 to 22.1 kg C m$^{-2}$ yr$^{-1}$. By 2050, the competing effects of increasing mortality and productivity in the future scenarios create an even wider divergence in biomass (3.25–27.0 kg C m$^{-2}$ yr$^{-1}$). Some ensemble members are able to benefit from CO$_2$ fertilization, while others are more rapidly affected by the increasingly severe drought events (Fig. 1). Between 2059 and 2060, there is a large drought event that depletes the carbon store and causes mortality in even the most conservative plant functional types. By 2100, plant biomass is heavily depleted in most scenarios, with the most resilient scenario supporting 9.6 kg C m$^{-2}$. The response of LAI to changing climate and CO$_2$ is both less extreme and differs less between runs as LAI recovers more quickly after disturbance and is therefore less affected by variations in ecosystem demography. We emphasize that, owing to the random selection of baseline climate, this illustration is not meant to be prescriptive of the actual future climate or vegetation in particular years.

Filtering unrealistic ensemble members

The parameter space exploration generated wide variation in ecosystem properties for the present day (Fig. 2a); however, many of the ensemble members generated unrealistic predictions for ecosystem properties that can be constrained by current observations. We filtered those ensemble members whose biomass, GPP, NPP or LAI fell outside observed ranges (Malhi et al., 2009b; Fisher et al., 2007; Brando et al., 2008). To account for measurement error in the upper and lower boundaries of the observations, we extended the ranges by 10% on either side. After the filtering process, 14 ensemble members remained whose estimates of all four variables were inside the observed ranges (Fig. 2b). While there are many fewer simulations in the filtered set, the spread of predictions is not substantially reduced, with biomass in year 2050 still ranging from 2.6 to 27.0 kg C m$^{-2}$ yr$^{-1}$. Filtering with this particular set of model metrics did not allow us to constrain the different model futures or rule out either the extremely sensitive or extremely resistant scenarios. Therefore, satisfactory approximation of contemporary ecosystem observations is not necessarily an indicator that a model will produce accurate future predictions. Current efforts to ‘benchmark’ vegetation models with sets of basic ecosystem data, with the intention of constraining the range of future predictions, should consider this possibility when interpreting their results (Randerson et al., 2009). It is possible that additional filters not used in this experiment, notably responses of forest to experimental drying (Fisher et al., 2007; Brando et al., 2008) might provide more appropriate filtering data. These kinds of plot-level observations are not yet considered in DGVM benchmarking exercises, however, owing to the difficulties involved in precisely replicating the experimental conditions in DGVM models.

Community structure and its relation to ecosystem biomass predictions

Fig. 3 illustrates the different plant community structures found in the 14 runs that met the filtering criteria. The panels are ordered according to their predicted ecosystem biomass in 2050 (from low to high). Those runs where forest mortality events were predicted to occur sooner, and biomass in 2050 was consequentially lower (e.g. Fig. 3 – top...
two rows), were dominated by the fast-growing PFT 1 (filled circles), while those runs where the ecosystem avoided biomass collapse for longer tended to have a more equitable distribution of PFTs (e.g. Fig. 3 – bottom two rows). In this particular model scenario, prevailing conditions before 2000 typically favour the dominance of the fastest-growing plant types. The persistence of PFT1 as the dominant plant type in 2000 reflects the relatively benign climatic conditions over the last century and is consistent with a small fitness cost associated with low rates of carbon storage: NPP rarely falls sufficiently to deplete stored carbon reserves enough cause canopy tree mortality. In all cases, the fastest-growing PFTs gain a slight initial advantage via lower allocation to carbon storage. The eventual community structure, however, depends upon the strength of processes that reinforce this initial dominance, which is affected substantially by varying the spatially mediated parameters in this sensitivity test.

Impact of individual parameters on community structure and ecosystem properties

Illustrating detailed ecosystem composition for every ensemble member was impractical, so we reduced the dimensionality of the output by calculating a PFT range, \( R_p \), for each model run, as

\[
R_p = B_{k,1} - B_{k,7} \tag{Eqn 11}
\]

where \( B_{k,i} \) is the fractional biomass of the \( i \)th PFT in 2000. Fractional biomass is the total of the total biomass accounted for by a given PFT. Values close to 1 indicate dominance the fastest-growing PFT and values close to zero indicate more equitable PFT distribution. This metric of community structure provides a single value with which to represent how much the community is dominated by fast-growing plants. Fig. 4 illustrates how this measure of

Fig. 2 Response of the trajectory of total plant biomass to alterations in ecological parameterizations showing the last 150 yr of the 400 yr simulation. (a) Includes all 200 members of the ensemble and (b) includes only those 14 ensemble members with acceptable biomass, leaf area index (LAI), gross primary production (GPP) and net primary productivity (NPP) compared with observations. Shading on symbols indicates the sapling mortality (\( M_s \)) parameter for each run, and can be read from Fig. 5(d).
community structure affects whole-ecosystem properties (GPP, NPP, LAI and biomass) used in the filtering process. Typically, those ecosystems with a PFT range close to 1 had high values of GPP, NPP and LAI, which were often outside the observational range. Ecosystem biomass was greatest for mid-range community composition. Those ensemble members with highly equitable PFT distribution tended to have very low biomass, below the acceptable range.

Figs 5–7 illustrate how the five demographic parameters that we investigated were related to PFT range index (Eqn 10, Fig. 5), biomass predictions at 2050 (Fig. 6) and LAI in 2005 (Fig. 7). The impact of the different parameters on NPP, GPP and biomass in 2005 and biomass in 2100 are illustrated in Figs S1–S4.

Of the five parameters varied, sapling mortality \( (M_s) \) had the greatest impact on community structure and ecosystem properties. To illustrate the impact of varying this parameter on the model output, we shaded the points in Figs 4–7 according to their value of \( M_s \). \( M_s \) mediates the positive feedback between fast growth and sapling production. Those trees with fast growth rates produce large numbers of saplings that grow quickly during situations of...
low sapling mortality, increasing the tendency of fast-growing PFTs to become dominant. Low values of $M_s$ encourage this positive feedback, leading to monodominance and high PFT range. Simulations with high values of $M_s$ suppress this feedback and tended to have a more equitable PFT distribution with more slow-growing PFTs (Fig. 5d). These PFTs are less susceptible to drought induced mortality (in the model), so the runs with high $M_s$ have higher biomass in 2050 (Fig. 6d). In addition, a combination of higher allocation to storage, and less to leaves, as well as lower overall understorey recruitment rates, means that those communities with high values of $M_s$ have lower estimates of LAI (Fig. 7d). The first order impact of lower sapling mortality on biomass (more seeds = more biomass) was not present in 2005 (Fig. S3d).

The seed mixing parameter ($X_m$) had a large impact on community structure. Initial seeding conditions are an important control on community structure after canopy closure. When large numbers of seeds are distributed to other patches, and $X_m$ is high, PFT1 dominance of one age class makes it a source of PFT1 seed for other age-classes, increasing its share of the seed bank and thus its increasing ability to dominate newly disturbed areas. Where most seeds land in their parent patch, and $X_m$ is low, PFT1 wastes most of its seed increasing competition with itself. Therefore, high $X_m$ promotes both dominance of PFT1 (Fig. 5c) and the development of communities with fast-growing PFTs. These fast-growing PFTs are at greater risk of dying under future droughted conditions because of their lower carbon reserves, so forest biomass in 2050 is lower for high $X_m$ simulations (Fig. 6c). However, higher $X_m$ allows faster colonization of recently disturbed gaps, facilitating faster regeneration and higher spatially averaged LAI (Fig. 7c).

Seed advection ($A_s$) has a relatively minor impact on community structure and on biomass in 2050 (Fig 5e, 6e). Increasing seed rain modulates the dominance of the fast-growing PFT for sapling recruitment, but also accelerates the rate of canopy closure, enhancing the dominance of the faster-growing plants (results not shown). The conflicting impact of these two mechanisms may well prevent any consistent response from emerging. $A_s$ did have a notable impact on the biomass in 2100 (Fig. S2e), as higher seed rain presumably promotes a more rapid ecosystem recovery from mortality events (Fig. 7e). Higher seed advection also promotes higher LAI; the number of saplings present in the understorey increases on account of the shift in the equilibrium between recruitment and mortality.
There was little consistent effect of competitive exclusion ($C_e$, panel a, Figs 5 and 6) or stress-induced mortality ($S_m$, panel b, Figs 5 and 6) on either PFT composition (Fig 5) or biomass in 2050 (Fig 6) panel. In isolation, these parameters can exert substantial control over community structure (results not shown), but in the global sensitivity analysis (i.e. varying all parameters simultaneously) their impact may well have been overridden by large variations in the forcing caused by the other parameters. The LAI is highest for low values of $S_m$, as greater mortality rates of carbon-starved plants in shade or drought results in a lower equilibrium LAI (Fig. 7b).

Scale limitations and parameter constraints

Typically, vegetation modellers attempt to constrain model parameter values via observations of the processes to which they apply. Unfortunately, the parameters we investigated here are not amenable to observation because the scales at which they operate are not represented in the spatially one-dimensional model environment. For example, the rate of seed advection $A_s$ of a given PFT is likely a function of (at least) the mean distance in space to other areas of land containing that PFT. Landscape models that include a two-dimensional spatial structure of interconnected patches, with a representation of both spatial arrangement and distance between patches, can simulate this property, but not one-dimensional DGVM models (Neilson et al., 2005; Lischke et al., 2006).

Similar issues apply to the other three parameters. Seed mixing, $X_m$, most obviously, is the result of the unknown length scale of disturbance processes and patches of land that ED represents via statistical aggregation. The length scale of ecosystem patches in reality is controlled by the size of disturbance events. If most disturbance events result from the death of single trees, this generates a matrix with a small length scale and a consequentially high rate of inter-age class seed mixing. If mortality is spatially aggregated because of blow-down events, pathogen outbreaks or fires, then the length scale will be larger and mixing less likely. No DGVM at present tracks the two-dimensional sub-grid variation in disturbance history. Tracking disturbance history is only made computationally possible in the ED model by removing the spatial dimension and tracking all patches of a common disturbance history together. This property must therefore at present be parameterized. Here we illustrate, for the first time in the context of a DGVM modelling study, how the values of this property affect model outcome. Future studies must focus on resolving this issue either using top-down observational constraints, by leveraging output from spatially explicit studies into the one-dimensional model or by converting the model framework to a substantially more computationally intensive fine-mesh structure.
The degree of determinism and stochasticity of competitive exclusion, $C_e$, depends upon smaller-scale spatial interactions between the crowns of adjacent trees. Simulation of this process would require at least a branch-scale canopy simulation model (Williams, 1996), in addition to improved understanding of the genetic heterogeneity between plants represented by a single PFT and the microvariation in abiotic conditions. It might be possible to estimate locally appropriate values of $C_e$ from community composition data using inverse Bayesian methods (Clark et al., 2003; Etienne & Olff, 2005).

Sapling mortality, $M_s$, which is an aggregate of seed number, seed germination, and death of the germinated seedlings, is poorly understood and very complex to model mechanistically. Inverse estimates of seed mortality from forest inventories might be possible, but existing forest databases typically only measure trees > 10 cm diameter (Baker et al., 2004). Thus, estimates of $M_s$ are confounded with unobserved understory growth and mortality processes. Also, sapling mortality is thought to be influenced by dispersal distance via the influence of species-specific herbivores or pathogens (Janzen, 1970; Connell, 1971) and by potential positive interactions between parent trees and saplings, the interactive consequences of which are explored by Murrell (2009).

Stress-induced mortality rates ($S_m$) appropriate for landscape-scale models or DGVMs are also difficult to parameterize. Allen et al. (2010) illustrate the difficulty of quantifying rates of vegetation mortality with observations made at multiple spatial scales. High rates of observed stand-level mortality typically translate into much lower landscape-level mortality rates, owing to spatial variation in landscape properties, biotic agents, species and weather (Allen et al., 2010). For a DGVM models, that scale linearly from plot-level simulations to landscape-level prediction, the appropriate scale of measurement of plant mortality rates is therefore contentious. Landscape-level estimates of tree mortality are very rare (Allen et al., 2010) but may be facilitated by vegetation monitoring networks (Phillips et al., 2009) in the future.

Spatial interactions in existing studies

The concept that spatial interactions are important for community structure is not novel (Silvertown & Law, 1987) but is infrequently considered by the DGVM community (Neilson et al., 2005; Midgley et al., 2007). At present, no DGVMs represent the movement of propagules in two dimensions, and no first-generation DGVMs represent...
plant competition for light in a vertical profile (for a detailed review of first generation DGVM plant competition algorithms see Arora & Boer, 2006). Literature from forest gap models discusses possible conditions necessary for simulating coexistence and the impact of competitive exclusion and spatial processes on community structure (Adams et al., 2007; Lischke & Löfler, 2006; Kohyama & Takada, 2009) but the emerging literature on second-generation DGVMs provides little discussion on how plant coexistence is generated along axes of variation other than early-to-late successional plant traits. A vast literature on the assemblage of communities, biodiversity and species coexistence can potentially inform us on how best to proceed from this point (McGill et al., 2006), and it seems likely that the possible limits on these parameters may potentially be informed by the outcomes of more spatially explicit models at various scales (Kneitel & Chase, 2004).

Conclusion
In this paper we introduce a series of modifications to the ED model that more readily allow the coexistence of plant types with similar growth rates. We conclude that, despite major advances in dynamic global vegetation modelling, there exist a number of processes pertaining to spatial plant ecology that are currently beyond the capacity of even the most sophisticated DGVMs to capture. If we fail to appropriately represent or constrain the processes that control the emergence of plant community structure in the new generation of global vegetation models, we risk generating modelled communities of plants with erroneous responses to climatic and atmospheric changes.

While we have endeavoured to create simulations that closely reflect the behaviour of Amazonian rainforest ecosystems, we emphasize that our purpose was not to provide definitive predictions of the future of the Amazon, but instead to illustrate the potential importance of the representation of infrequently discussed plant demographic processes of reproduction, competition and mortality on the range of future predictions. We chose to focus on one location to allow a detailed illustration of this high-dimension problem; however, it seems likely that the issues derived here may well be generically applicable, in different modelling frameworks, and across multiple combinations of climate and functional trade-off axes.

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Supporting Information

Additional supporting information may be found in the online version of this article.

Fig. S1 Response of predicted biomass at year 2005 to variation in (a) competitive exclusion, $C_e$, (b) stress-induced mortality, $S_m$, (c) seed mixing, $X_m$, (d) sapling mortality, $M_s$, and (e) seed advection, $A_s$.

Fig. S2 Response of predicted biomass at year 2100 to variation in (a) competitive exclusion, $C_e$, (b) stress-induced mortality, $S_m$, (c) seed mixing, $X_m$, (d) sapling mortality, $M_s$, and (e) seed advection, $A_s$.

Fig. S3 Response of predicted gross primary production (GPP) at year 2100 to variation in (a) competitive exclusion $C_e$, (b) stress-induced mortality, $S_m$, (c) seed mixing, $X_m$, (d) sapling mortality, $M_s$, and (e) seed advection, $A_s$.

Fig. S4 Response of predicted net primary productivity (NPP) at year 2100 to variation in (a) competitive exclusion, $C_e$, (b) stress-induced mortality, $S_m$, (c) seed mixing, $X_m$, (d) sapling mortality, $M_s$, and (e) seed advection, $A_s$.

Notes S1 Detailed description of JULES gas exchange model and algorithms controlling tree leaf area, canopy spread and physiological gradients within the forest canopy.

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